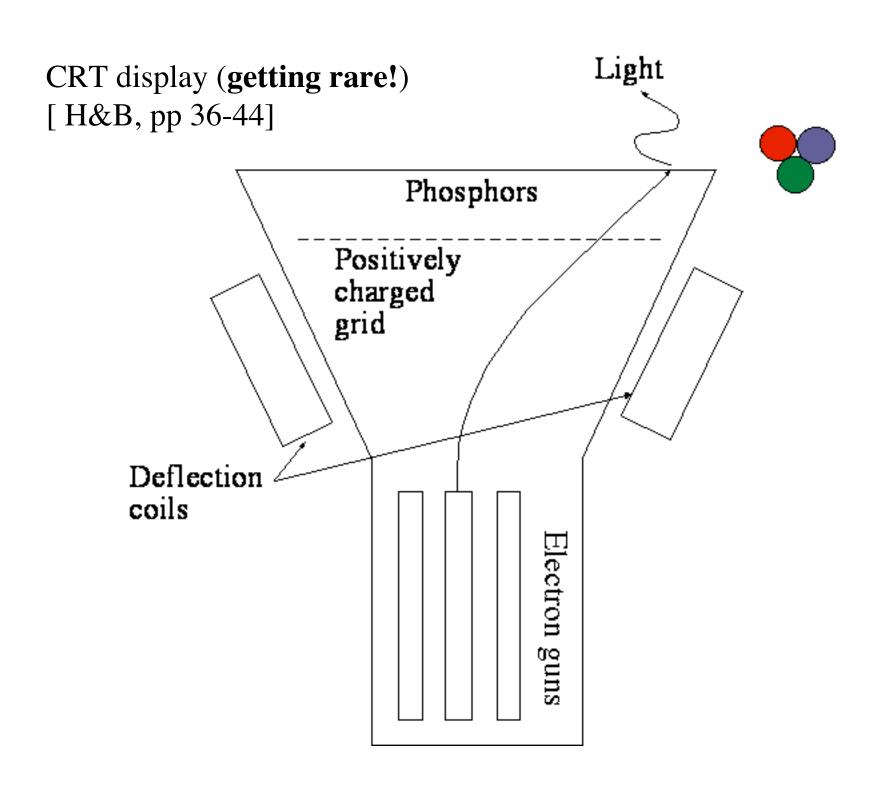
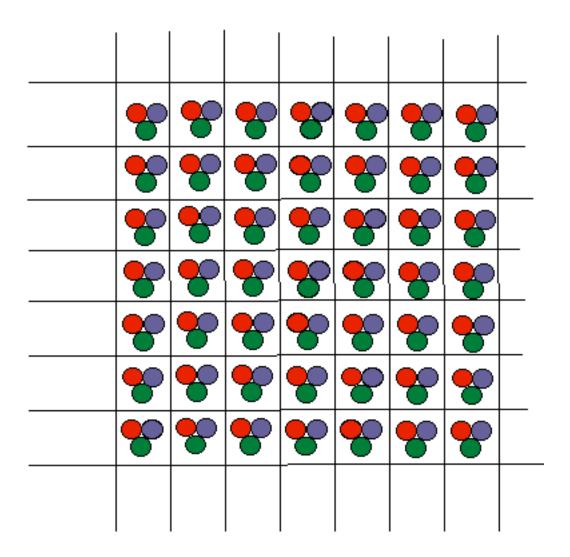
TA (Amy Platt) office hours

M and W, 1-2

GS 929b



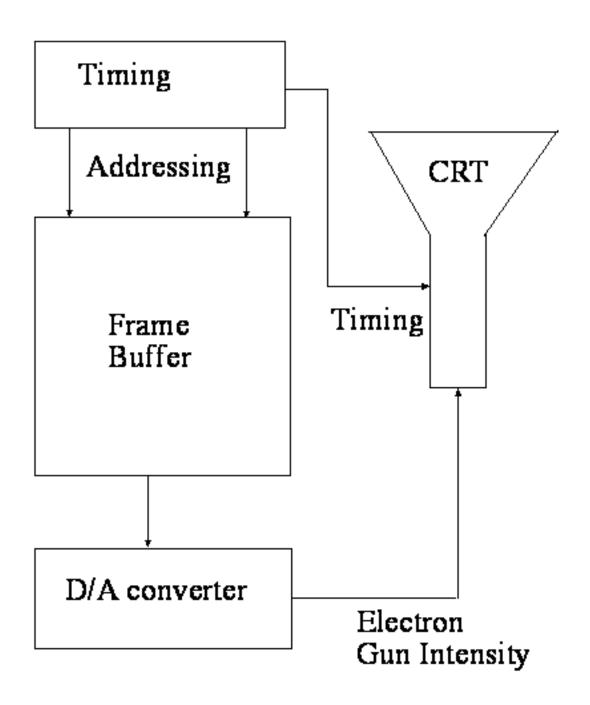


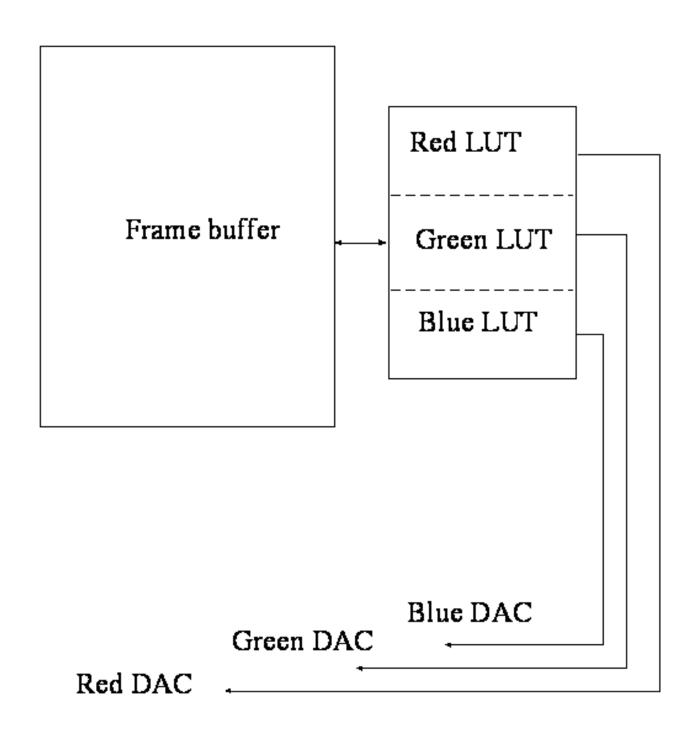
CRT Displays

- Phosphors glow when hit by electron beam.
- Color is adjusted via intensity of beam delivered to each of R,G, and B phosphor
- CRT display phosphors glow for limited time--need to be refreshed
- Raster displays refresh by scanning from top to bottom in left right order.
- Timing is used to make screen elements correspond to memory elements.

CRT Displays

- Typical refresh rate is 75 per second
- May have many phosphor dots corresponding to one memory element (old stuff), but more usually one per phosphor trio.
- Memory elements called pixels
- Refresh method creates architectural and *programming* issues (e.g. double buffering), defines "real time" in animation.

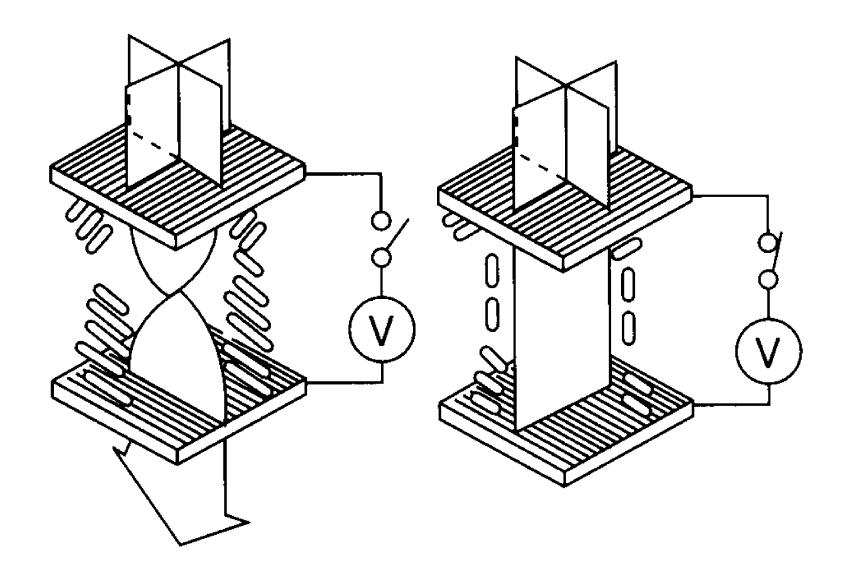




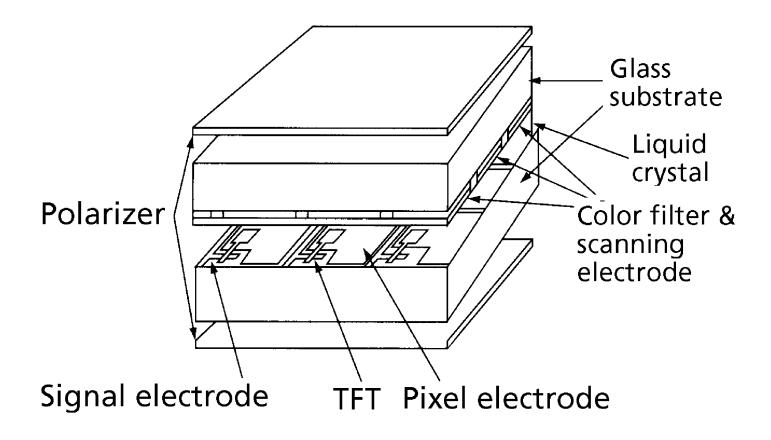
Flat Panel TFT* Displays

[H&B, pp 44-47]

*Thin film transistor



From http://www.atip.or.jp/fpd/src/tutorial



From http://www.atip.or.jp/fpd/src/tutorial

3D displays

Use some scheme to control what each eye sees Color, temporal + shutter glasses, polarization + glasses

[H&B, §2,9, pp 73-80]

Demo and discussion of example program

http://www.cs.arizona.edu/classes/cs433/fall05/triangle.c

- Layer between your program and lower levels (hardware, low level display issues)
- Provides primitives
 - points
 - lines
 - polygons
 - bitmaps, fonts
- Provides standard graphics facilities
 - We will learn how some of these work. Some assignments will therefore have some routines "out of bounds"
 - GLUT simplifies interactive program development with intuitive callbacks and additional facilities (menus, window management).

Initialization code from the example

• Window display callback. You will likely also call this function. Window repainting on expose and resizing is done for you

```
/* set window's display callback */
glutDisplayFunc(display_CB);
```

```
static void display CB(void)
{
   /* set current color */
   glColor3d(triangle red, triangle green, triangle blue);
   /* draw filled triangle */
   glBegin(GL POLYGON);
   /* specify each vertex of triangle */
   glVertex2i(200 + displacement x, 125 - displacement y);
   glVertex2i(100 + displacement x, 375 - displacement y);
   glVertex2i(300 + displacement x, 375 - displacement y);
                   /* OpenGL draws the filled triangle */
   glEnd();
   glFlush();
                    /* Complete any pending operations */
   glutSwapBuffers(); /* Make the drawing buffer the frame buffer
                       and vice versa */
```

• User input is through callbacks, e.g.,

```
/* set window's key callback */
glutKeyboardFunc(key_CB);

/* set window's mouse callback */
glutMouseFunc(mouse_CB);

/* set window's mouse move with button pressed callback */
glutMotionFunc(mouse_move_CB);
```

```
static void key CB(unsigned char key, int x, int y)
{
   if( key == 'q' ) exit(0);
}
* /
/* Function called on mouse click */
static void mouse CB(int button, int state, int x, int y)
{
   /*
      Code which responses to the button, the state (press, release), and where
      the pointer was when the mouse event occurred (x, y).
    *
      See example on-line for sample code.
   */
}
  * /
/* Function called on mouse move while depressed. */
static void mouse move CB(int x, int y)
   /* See example on-line for sample code. */
}
```

• GLUT makes pop-up menus easy. We will save development time by using (perhaps abusing) this facility.

```
/* Create a menu which is accessed by the right button. */
submenu = glutCreateMenu(select_triangle_color);
glutAddMenuEntry("Red", KJB_RED);
glutAddMenuEntry("Green", KJB_GREEN);
glutAddMenuEntry("Blue", KJB_BLUE);
glutAddMenuEntry("White", KJB_WHITE);
glutCreateMenu(add_object_CB);
glutAddMenuEntry("Triangle", KJB_TRIANGLE);
glutAddMenuEntry("Square", KJB_SQUARE);
glutAddSubMenu("Color", submenu);
glutAttachMenu(GLUT RIGHT BUTTON);
```

• Ready for the user!

```
/* start processing events... */
glutMainLoop();
```

• For the rest of the code see http://www.cs.arizona.edu/classes/cs433/fall05/triangle.c

Displaying lines

- Assume for now:
 - lines have integer vertices
 - lines all lie within the displayable region of the frame buffer
- Other algorithms will take care of these issues.

Displaying lines

- Assume for now:
 - lines have integer vertices
 - lines all lie within the displayable region of the frame buffer
- Other algorithms will take care of these issues.
- Consider lines of the form y=m x + c, where 0 < m < 1
- Other cases follow by symmetry
- (Boundary cases, e.g. m=0,m=1 also work in what follows, but are often considered separately, because they can be done very quickly as special cases).

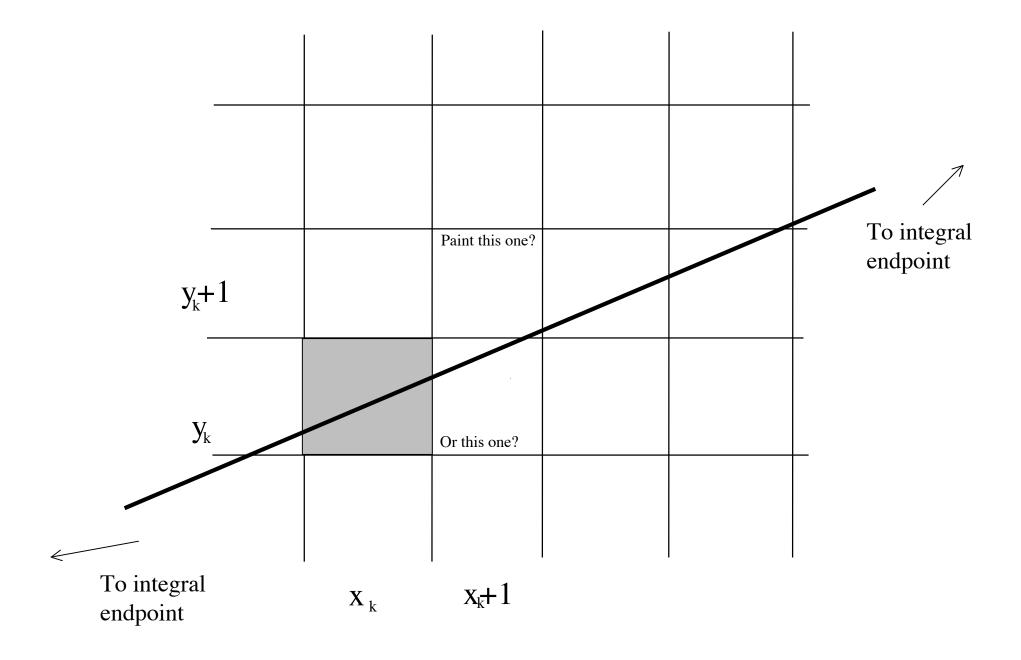
Displaying lines

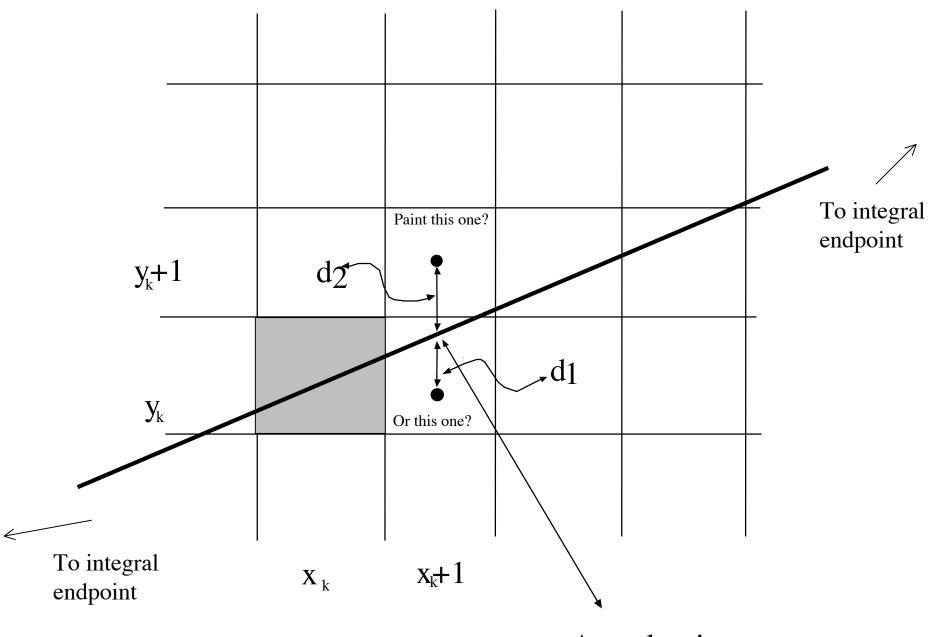
- Variety of naive (poor) algorithms:
 - step x, compute new y at each step by equation, rounding
 - step x, compute new y at each step by adding m to old y, rounding

Bresenham's algorithm

[H&B, pp 95-99]

- Plot the pixel whose y-value is closest to the line
- Given (x_k, y_k) , must **choose** from either (x_k+1, y_k+1) or (x_k+1, y_k) ---recall we are working on case 0 < m < 1
- Idea: compute value that will determine this choice that is easy to update and cheap to compute (no floating point operations if endpoints are integral).



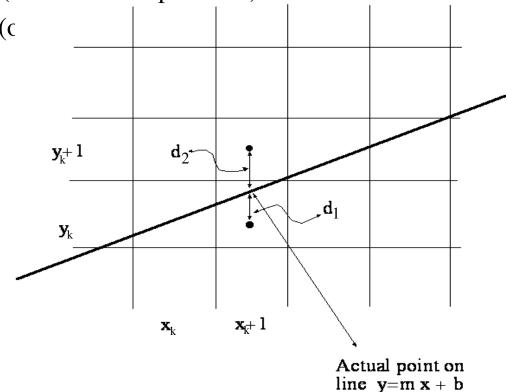


Actual point on line y=m x + b

Bresenham's algorithm

• Determiner is $d_1 - d_2$

$$d_1$$
- d_2 < 0 = > plot at y_k (same level as previous)
otherwise => plot at y_k +1 (c



(Current point is, (x_k, y_k) line goes through $(x_k + 1, y)$)

$$d_1 = y - y_k$$
 and $d_2 = (y_k + 1) - y$

So
$$d_1 - d_2 = (y - y_k) - ((y_k + 1) - y)$$

Plugging in
$$y = m(x_k + 1) + b$$

Gives:

$$d_1 - d_2 = 2m(x_k + 1) - 2y_k + 2b - 1$$

Avoiding Floating Point

From the previous slide

$$d_1 - d_2 = 2m(x_k + 1) - 2y_k + 2b - 1$$

Recall that,

$$m = (y_{end} - y_{start})/(x_{end} - x_{start}) = dy/dx$$

So, for integral endpoints we can avoid floating point if we scale by a factor of dx. Use determiner P_k .

$$p_k = (d_1 - d_2)dx$$

$$= (2m(x_k + 1) - 2y_k + 2b - 1)dx$$

$$= 2(x_k + 1)dy - 2y_k(dx) + 2b(dx) - dx$$

$$= 2(x_k)dy - 2y_k(dx) + \text{constant}$$

Incremental Update

From previous slide

$$p_k = 2(x_k)dy - 2y_k(dx) + \text{constant}$$

Finally, express the next determiner in terms of the previous, and in terms of the decision on the next y.

$$p_{k+1} = 2(x_k + 1)dy - 2y_{k+1}(dx) + \text{constant}$$

= $p_k + 2dy - 2(y_{k+1} - y_k)$

Either 1 or 0 depending on decision on y

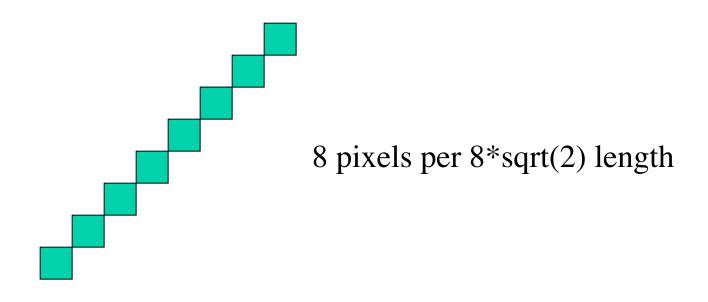
Bresenham algorithm

- $p_{k+1} = p_k + 2 dy 2 dx (y_{k+1} y_k)$
- Exercise: check that $p_0 = 2 dy dx$
- Algorithm (for the case that 0<m<1):
 - $x=x_start, y=y_start, p=2 dy dx, mark (x, y)$
 - until x=x_end
 - x=x+1
 - p>0 ? y=y+1, **mark** (x, y), p=p+2 dy 2 dx
 - else y=y, mark(x, y), p=p+2 dy
- Some calculations can be done once and cached.

Issues

- End points may not be integral due to clipping (or other reasons)
- Brightness is a function of slope.
- Discretization problems "aliasing" (related to previous point).

Line drawing--simple line (Bresenham) brightness issues





8 pixels for 8 length (Brighter)

Line drawing--discretization artifacts (often called aliasing)

