Slide 1 (top-left)

Slide 2 (top-right)

The Computational Color Constancy Problem
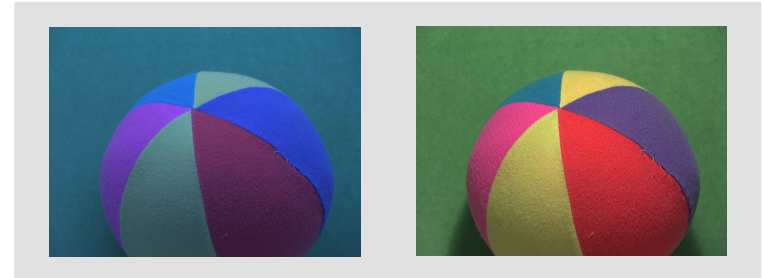
(Same scene, but different illuminant)

Slide 3 (bottom-left)
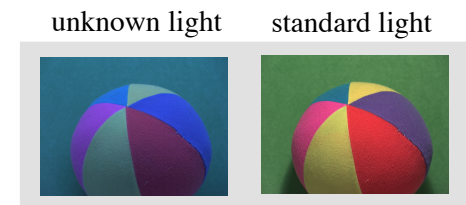
unknown light   standard light
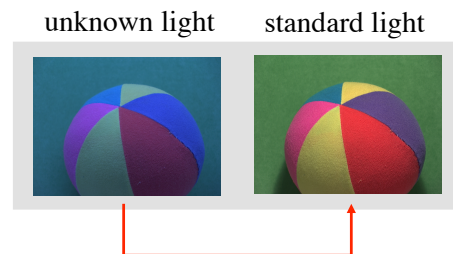
Color constancy

Color constancy algorithms strive to map image pixels to useful illuminant invariant values. One example is the image as if it was taken under the known standard light.

Often done by estimating the illuminant, followed by color correction (but there are other ways).

Slide 4 (bottom-right)

unknown light   standard light

Color Correction

Suppose that the image on the right was how the scene on the left would look under a known, "standard" light.

Under that light a uniform reflective surface (white) is $\left(R_W^S, G_W^S, B_W^S\right)$

So, to correct the image on the left, we can estimate the color of white, under the unknown light. Suppose it is: $\left(R_W^U, G_W^U, B_W^U\right)$

Then we can correct the image using the diagonal matrix from a few slides back.
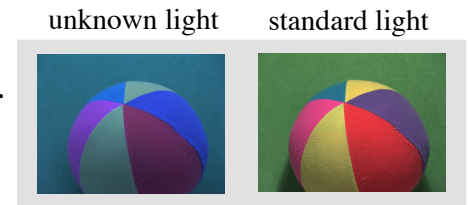
Estimating the color of the light

unknown light   standard light
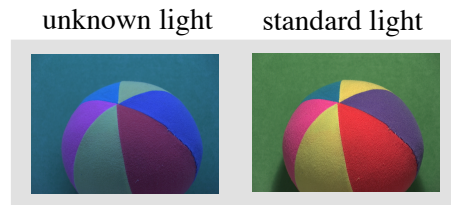
The hard part is to estimate the color of the light (i.e., $\left(R_W^U, G_W^U, B_W^U \right)$)

Many interesting algorithms have been developed. Two simple ones:

Max RGB: $R_W^U = \max_{pix}(R)$ (Similarly for G and B)

Gray world: $\left(\frac{1}{2}\right) R_W^U = \underset{pix}{ave}(R)$ (Similarly for G and B)

Estimating the color of the light

unknown light   standard light

The two simple methods mentioned previously focus on the global statistics of the image.

More formally, one can set up an inference problem focused on estimating the probability that the light is a certain color, **given** the image data.

Another approach is find specularities (recall why this works!).

Dielectric Specularities

## Human color perception and color reproduction

- The sensation of color is caused by the brain.
- One way to get it is through a **response** of the eye to the presence/absence of light at various wavelengths.
- Dreaming, hallucination, etc.
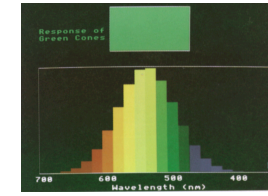- Pressure on the eyelids

Trichromaticity

Empirical fact--colors can be approximately described/ matched by three quantities (assuming normal color vision).

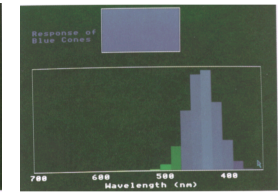Need to reconcile this observation with the spectral characterization of light

Color receptors
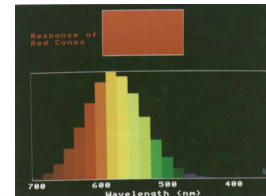
"Long" cone   "Medium" cone   "Short" cone

Some understanding results from an analogy with camera sensors

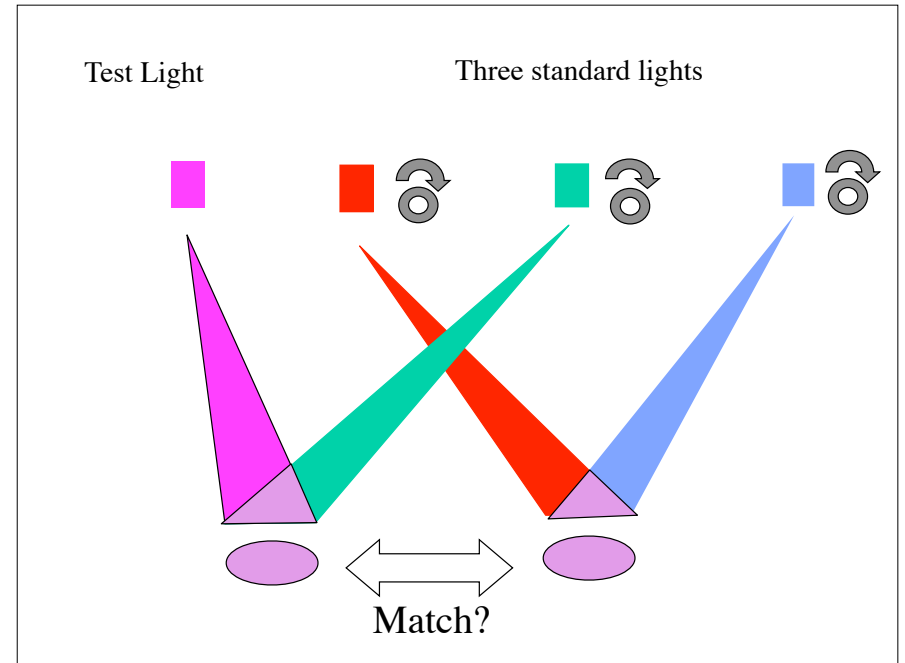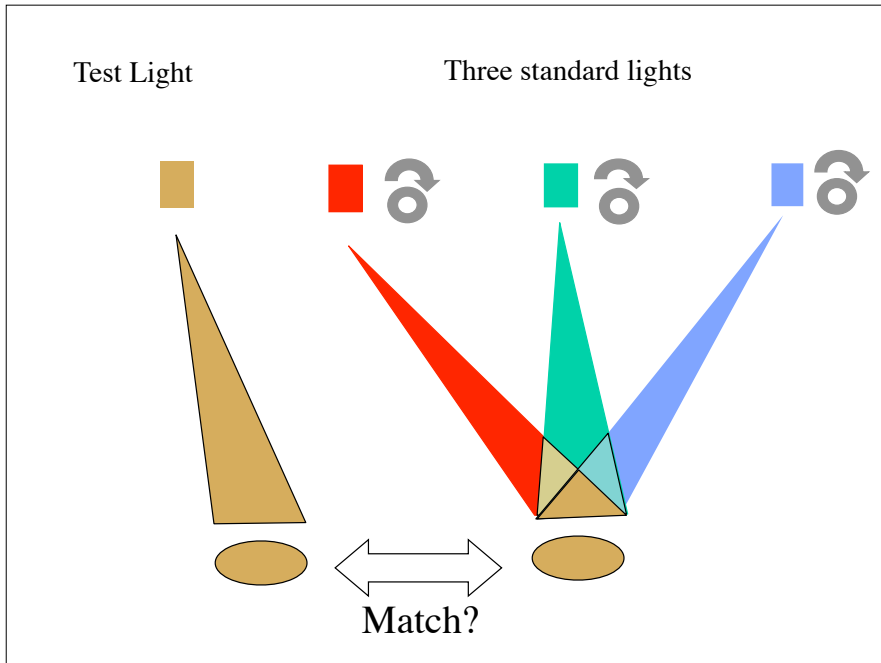Directly determining the camera like sensitivity response is hard!

Color Reproduction

Motivates specifying color numerically (there are other reasons to do this also)

General (person in the street) observation--color reproduction *sort of* works.

Specifying Color

Slide 1 (top-left)

Test Light   Three standard lights

Match?

Slide 2 (top-right)

Test Light   Three standard lights

Match?

Slide 3 (bottom-left)

Trichromacy

Experimental fact about people (with "normal" color vision)---matching works (for reasonable lights), provided that we are sometimes allowed negative values.

Our "knob" positions correspond to (X,Y,Z) in the standard colorimetry system.

Technical detail: (X,Y,Z) are actually arranged to be **positive** by a linear transformation, but these "knob" positions **cannot** correspond to any **physical** light.

Slide 4 (bottom-right)

Specifying Color

(50,150,75)   (50,150,75)
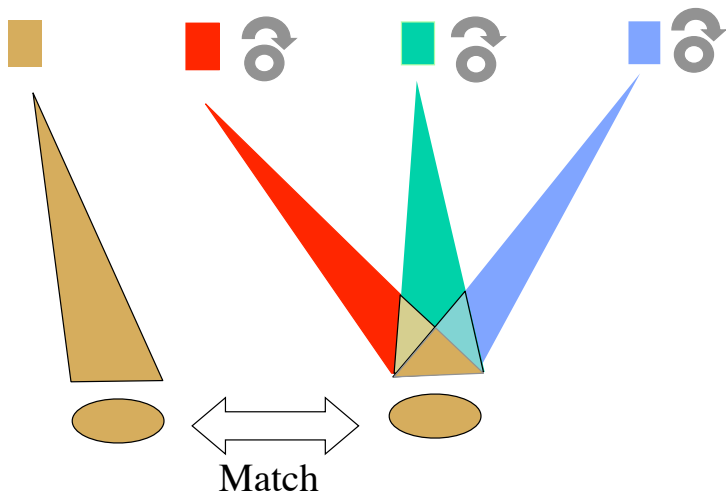
Specifying Color

We don't want to do a matching experiment every time we want to use a new color!
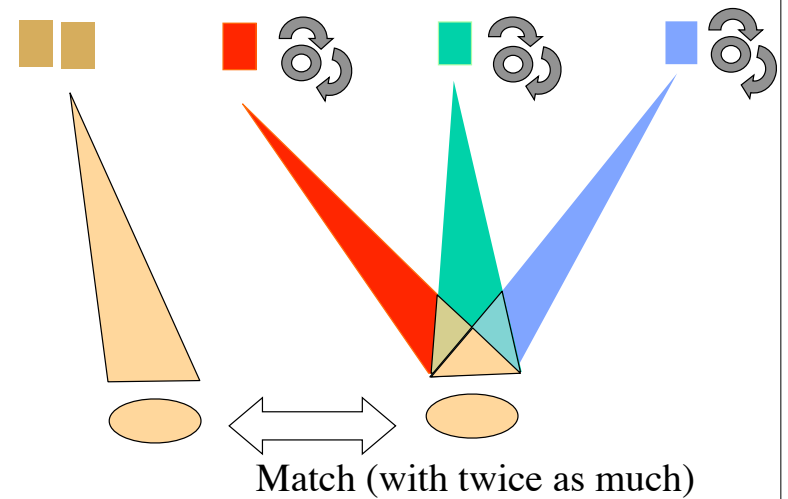
Grassman's Contribution

Color matching is linear

Test Light

Three standard lights

Match

Test Light

Three standard lights

Match (with twice as much)

Matching is Linear (Part 1)
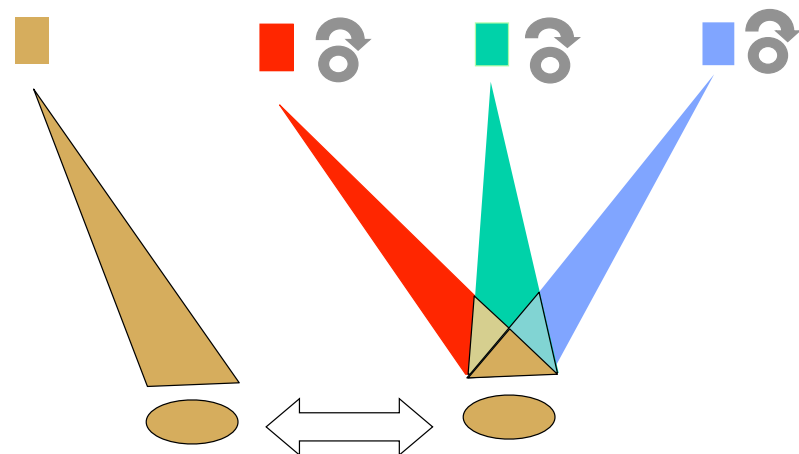
C1 is matched with (X1,Y1,Z1)

C = a*C1

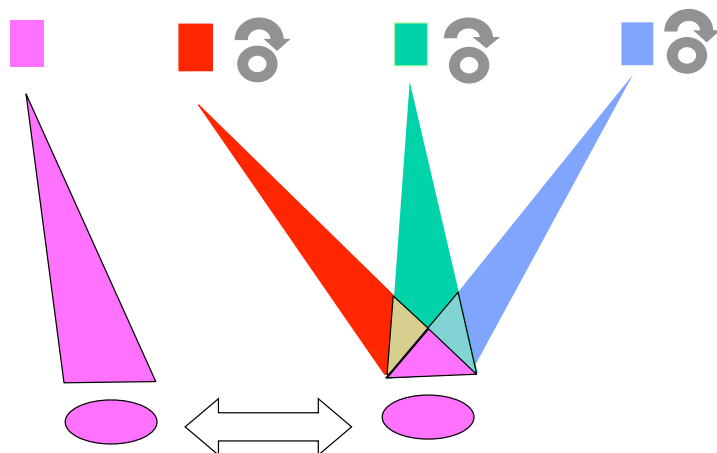C is matched with a * (X1, Y1, Z1)

Test Light (C1)

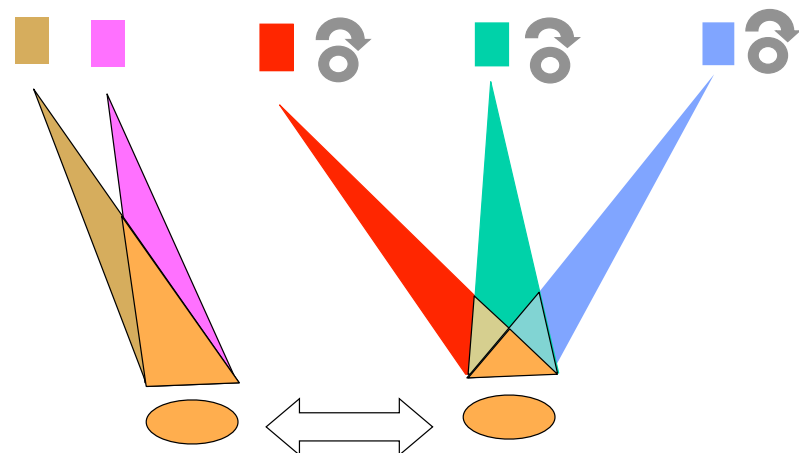Three standard lights

Match with (X1, Y1, Z1)

Test Light (C2)
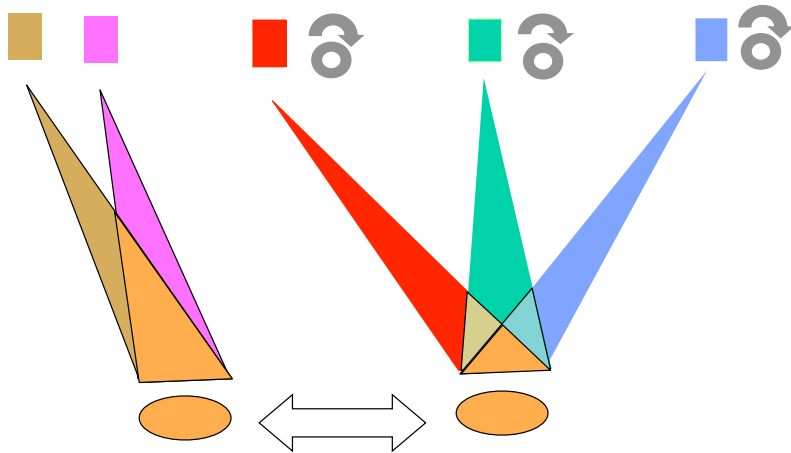
Three standard lights

Match with (X2, Y2, Z2)

Test Light

Three standard lights

Match with?

Slide 1

Test Light   Three standard lights

Match with (X1+X2, Y1+Y2, Z1+Z2)

Slide 2

Matching is Linear (formal)

C = a*C1 + b*C2

C1 is matched with (X1,Y1,Z1)
C2 is matched with (X2,Y2,Z2)

C is matched by
    a*(X1,Y1,Z1) + b*(X2,Y2,Z2)

Slide 3

Specifying Color

On my monitor it's
(R,G,B) = (75,150,100)

Slide 4

Specifying Color

But what is (R,G,B)?

Specifying Color

R matches (X_r, Y_r, Z_r)

G matches (X_g, Y_g, Z_g)

B matches (X_b, Y_b, Z_b)

Specifying Color

Then by
(R,G,B)=(75,150,100)
you mean (X,Y,Z),
where …..

$$X = 75* X_r + 150* X_g + 100* X_b$$

$$Y = 75* Y_r + 150*Y_g + 100* Y_b$$

$$Z = 75* Z_r + 150*Z_g + 100* Z_b$$

(No need to match--just compute!)

Specifying Color

… , now that we have
specified the color,
I can print it!

$$\begin{vmatrix} X \\ Y \\ Z \end{vmatrix} = \begin{vmatrix} X_r & X_g & X_b \\ Y_r & Y_g & Y_b \\ Z_r & Z_g & Z_b \end{vmatrix} \begin{vmatrix} 75 \\ 100 \\ 150 \end{vmatrix}$$

$$\begin{vmatrix} X \\ Y \\ Z \end{vmatrix} = \begin{vmatrix} X_r & X_g & X_b \\ Y_r & Y_g & Y_b \\ Z_r & Z_g & Z_b \end{vmatrix} \begin{vmatrix} R \\ G \\ B \end{vmatrix}$$

$$\begin{vmatrix} X \\ Y \\ Z \end{vmatrix} = M \begin{vmatrix} R \\ G \\ B \end{vmatrix}$$

Color Reproduction
(Monitors & Projectors)

$$\begin{vmatrix} X \\ Y \\ Z \end{vmatrix}_{apple}$$

Find (R,G,B)

$$\begin{vmatrix} X \\ Y \\ Z \end{vmatrix}_{apple} = M \begin{vmatrix} R \\ G \\ B \end{vmatrix}_{apple}$$

$$\begin{vmatrix} R \\ G \\ B \end{vmatrix}_{apple} = M^{-1} \begin{vmatrix} X \\ Y \\ Z \end{vmatrix}_{apple}$$

$$\begin{vmatrix} R \\ G \\ B \end{vmatrix}_{apple} = M^{-1} \begin{vmatrix} X \\ Y \\ Z \end{vmatrix}_{apple}$$

If our imaging system is sensible, M is invertible.

However, we are not guaranteed that the R,G,B are inside [0,255].

Values greater than 255 just means we should reduce brightness.

Negative values are more problematic. These are out of "gamut".

Not all colors can be reproduced from three primary ones. (Fundamental property due to the nature of human vision).
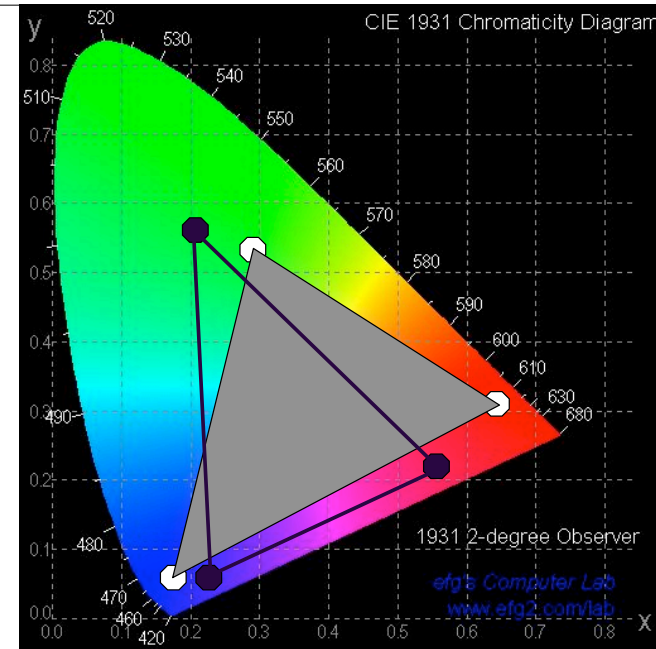
XYZ color space

XYZ color space is a linear transformation of the matches to standard lights.

The transformation is designed to ensure that all color co-ordinates are positive

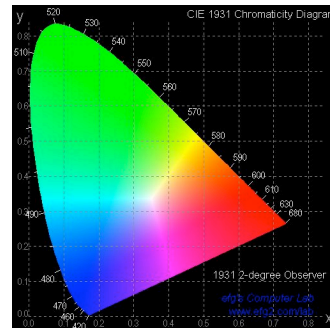This means that XYZ corresponds to matches of fictitious (physically impossible) lights.
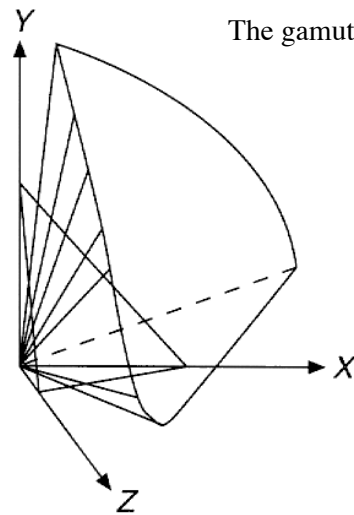
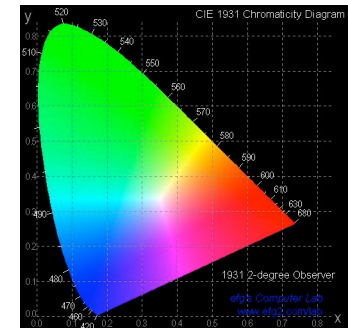The gamut of all colors

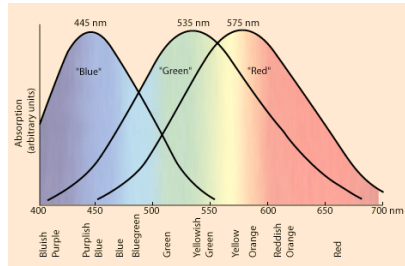Available from efg2.com

Qualitative features of CIE x, y

- Linearity implies that colors obtainable by mixing lights with colors A, B lie on line segment with endpoints at A and B
- Monochromatic colors (spectral colors) run along the "Spectral Locus"
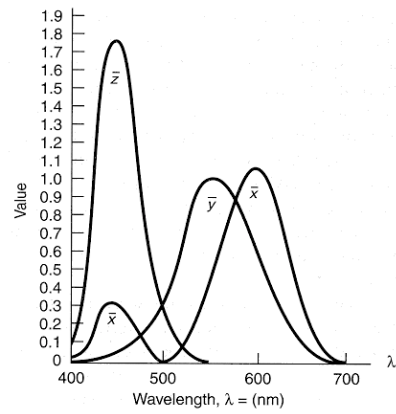

Qualitative features of CIE x, y

- Why the funny shape?

One measurement of human cone
absorption

XYZ response curves